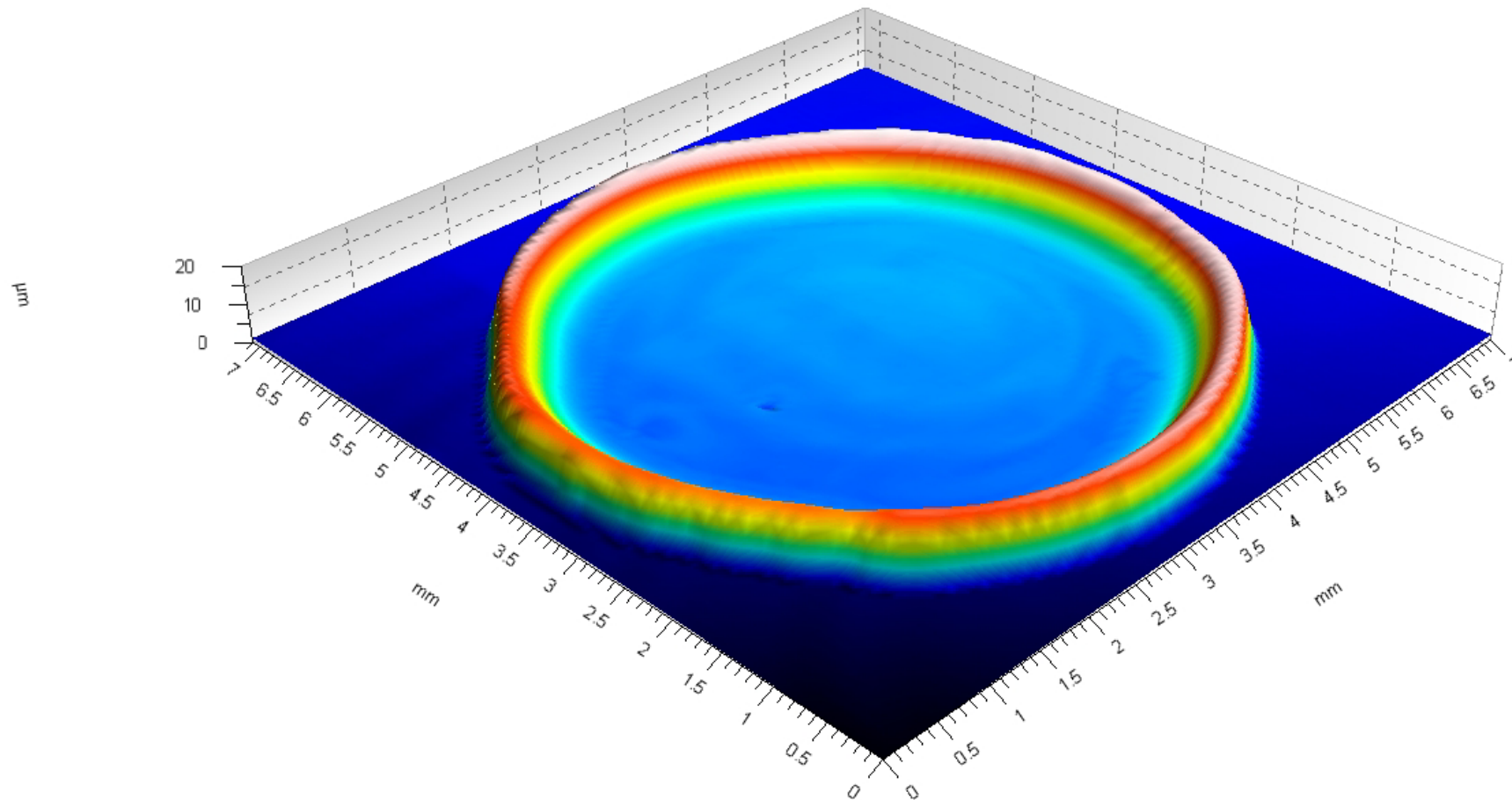


# Thin Film Behavior after Ink Transfer in Printing Processes



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N. Bornemann, H. M. Sauer, E. Dörsam



# Overview

## Thin Film Behavior after Ink Transfer in Printing Processes



### ▪ Motivation

- Graphic vs. functional printing
- Printing processes for organic electronics, challenges
- Film formation process in R2R: Process chain

### ▪ Theory

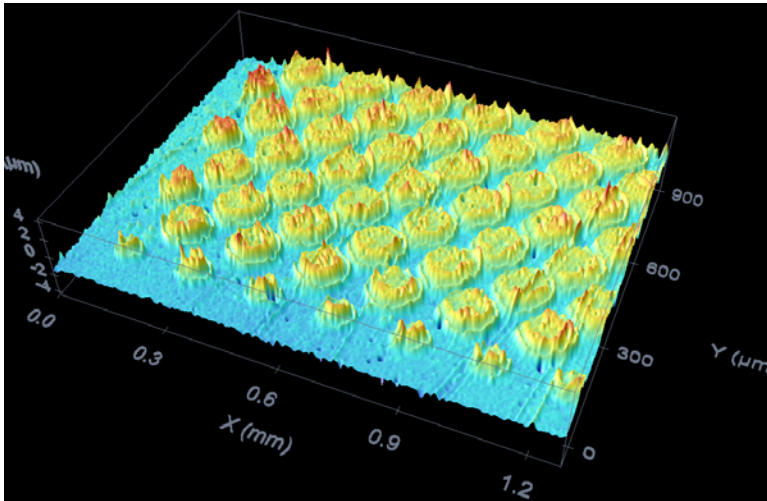
- Navier-Stokes in the lubrication limit: The Landau-Levich equation
- Effects of surface tension and concentration gradients
- Stability analysis: Phase diagrams

### ▪ Stability analysis

- Constant surface tension
- Why is a puddle stationary flat?
- Additional forces

# Motivation

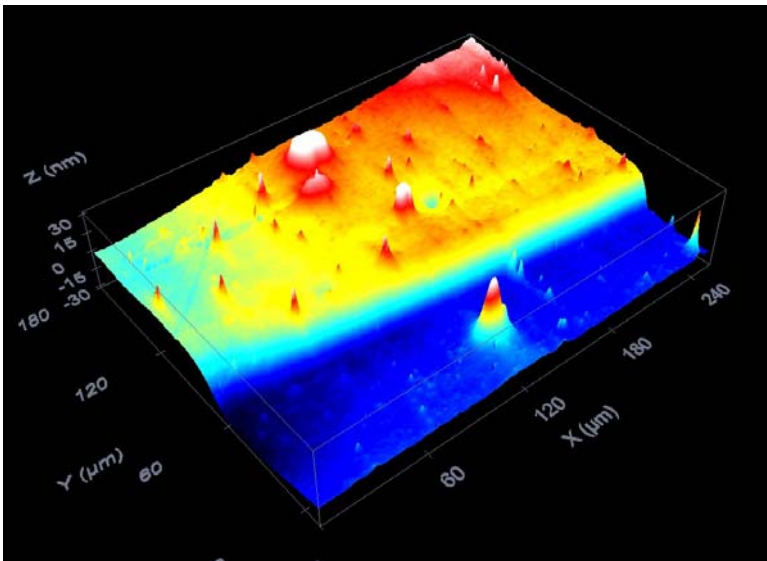
## Graphic vs. functional printing



### GRAPHIC printing:

- blue ink gravure printed on PET,
- 1.2mm x 0.9mm, height ~ **4μm**

⇒ **HOMOGENOUS, DEFINED DOT SCREENS**



### FUNCTIONAL printing:

- SY organic polymer for OLEDs, gravure printed on PET,
- 240μm x 180μm, height ~ **30nm**

⇒ **HOMOGENOUS, DEFINED CLOSED LAYERS**

## Motivation



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# Printing process for organic electronics: Challenges

## Thin and homogenous layers i.e. OLEDs:

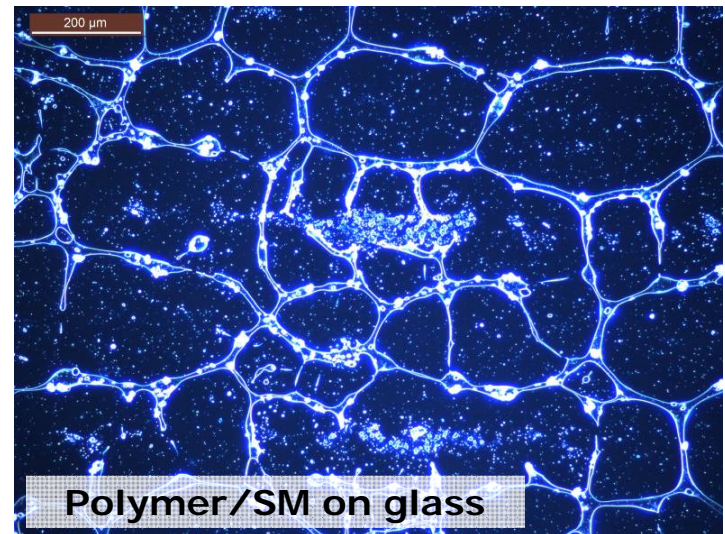
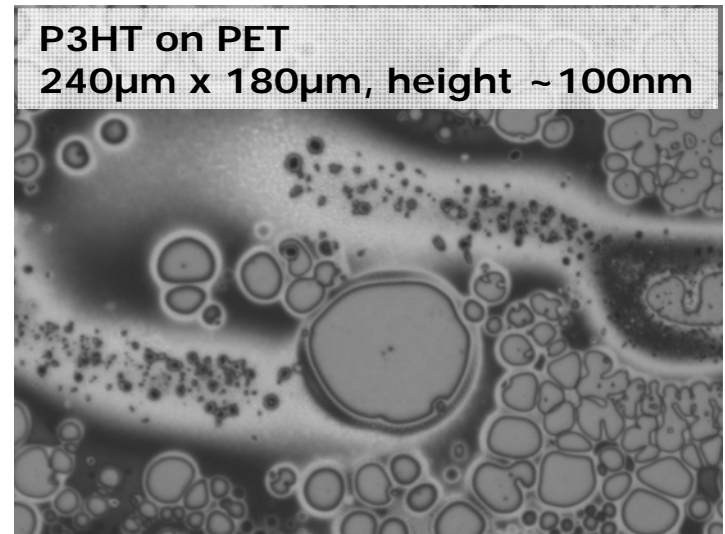
- dewetting: rupture, holes
- crystallization

## Multilayer devices:

- compatibility of material sets
- stability of under-laying film
- diffusion of liquid or solutes into under-laying film
- register accuracy

## Multi-component fluids:

- different solutes: polymers and/or small molecules
- different liquids: water-based and/or solvent-based solution





## Film formation in R2R: Process chain

Film formation

⇒ Ink absorption from ink tank

⇒ Blade process → printing zone

⇒ Printing zone → ink transfer

⇒ **Fluid dynamics of the thin liquid film**

⇒ Transition to drying

⇒ Drying

# Theory

## Navier-Stokes in the lubrication limit: The Landau Levich equation



### Lubrication limit:

Landau Levich equation [2], [3] :

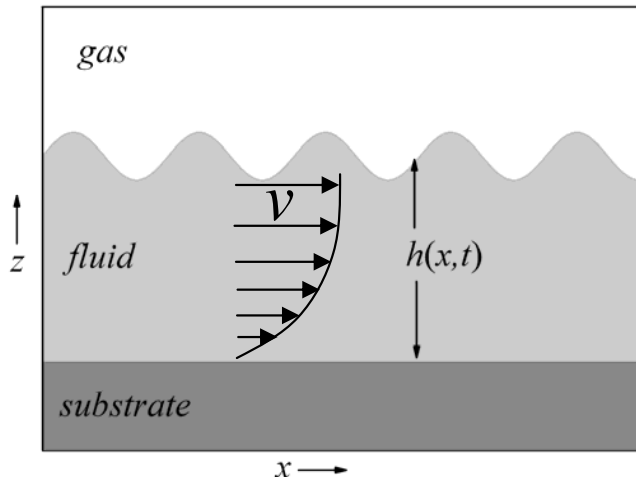
$$\frac{\partial h(x,t)}{\partial t} = \frac{\partial}{\partial x} \left[ -\frac{h^3}{3\eta} \frac{\partial}{\partial x} \left( \sigma \frac{\partial^2 h}{\partial x^2} - P_n(h) \right) + \frac{h^2}{2\eta} \frac{\partial \sigma}{\partial x} \right] \quad (1)$$

$\eta$  : dynamic viscosity

surface tension  
curvature pressure

surface tension  
gradient

- gravity  
- Van der Waals:  $\propto \frac{A}{h^\mu}$ ,  $\mu = 4$   
(~80nm [4])



Small perturbed liquid film,  
leveling time:

$$\tau \propto \frac{\sigma h_0^3}{\eta \lambda^4}$$

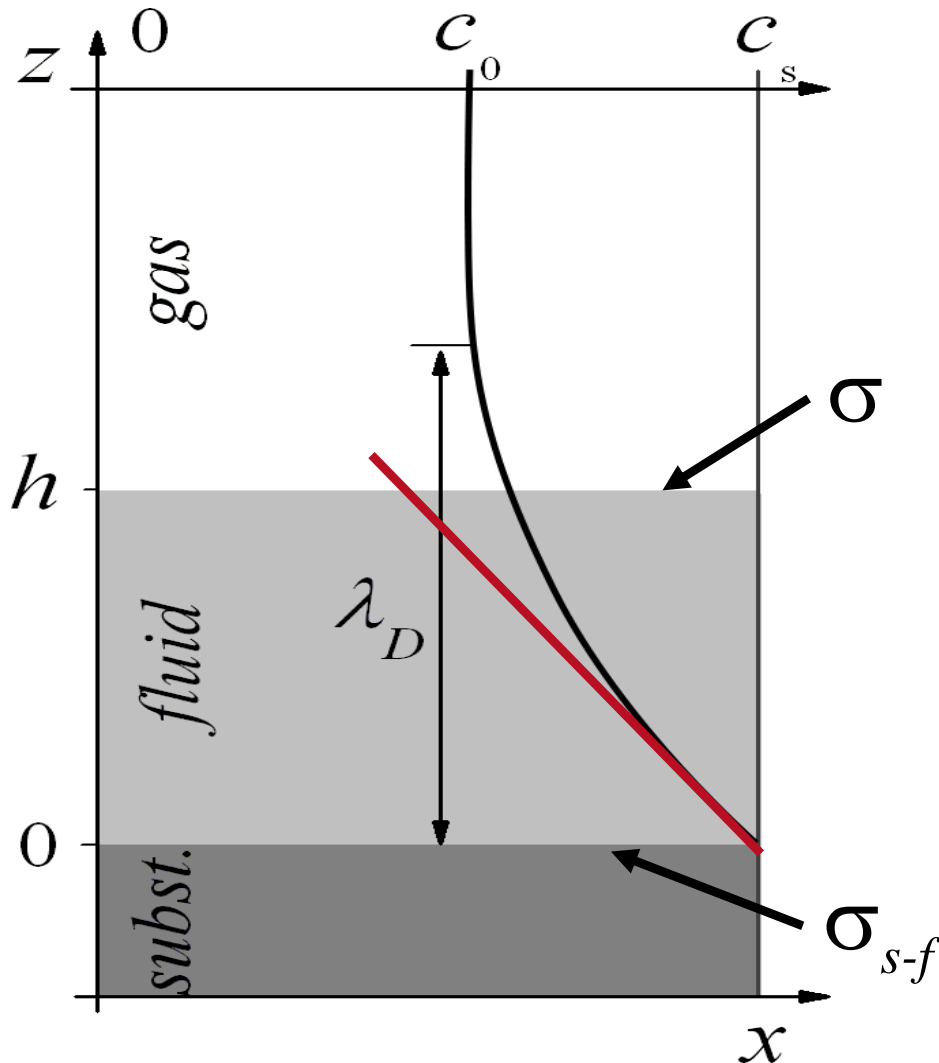
[2] L. Landau, B. Levich, Acta Physicochim. URSS. **1942**, 42-54

[3] A. Oron, S.G. Bankoff, Rev. Mod. Phys. **1997**, 69, 931-980

[4] P. de Gennes, Rev. Mod. Phys. **1985**, 57, 827-863.

# Theory

## Effects of surface tension and concentration gradients



Thin liquid film of a binary system:

$C$  : concentration of solute in solution

$\sigma$  : surface tension

$\lambda_D$  : diffusion length

Useful relation [1]:

$$\left. \frac{\partial C}{\partial z} \right|_{z=0} = \frac{\lambda_D}{2k_B T} \frac{\partial \sigma_{sf}}{\partial C}$$

In the following:

**Evaporation and temperature gradients effects are neglected.**

[1] J.W. Cahn, J. Chem. Phys. **1977**, 66, 3667

## Stability analysis: Phase diagrams

When do we have solutions of L.L. eq. (1) for stable, homogenous flat, large-scale films concerning  $C$ ,  $\sigma$  gradients and Van der Waals forces?

$$\text{STABLE : } \frac{\partial h(x,t)}{\partial t} = 0 \quad \Rightarrow \quad \text{eq. (1)} \rightarrow h'(h)$$

$$\text{GRADIENTS of } C, \sigma : \rightarrow \beta$$

$$\text{VAN DER WAALS : } \rightarrow A$$

$$\text{INTEGRATION CONSTANT: } c_0$$



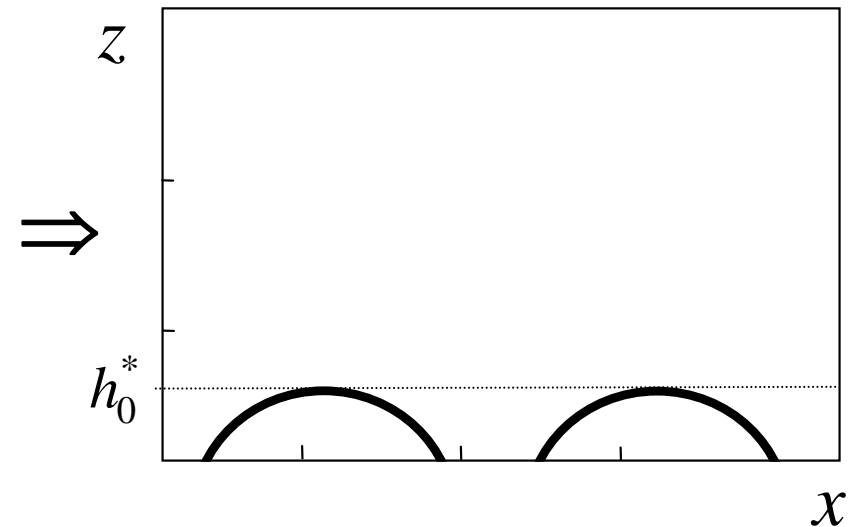
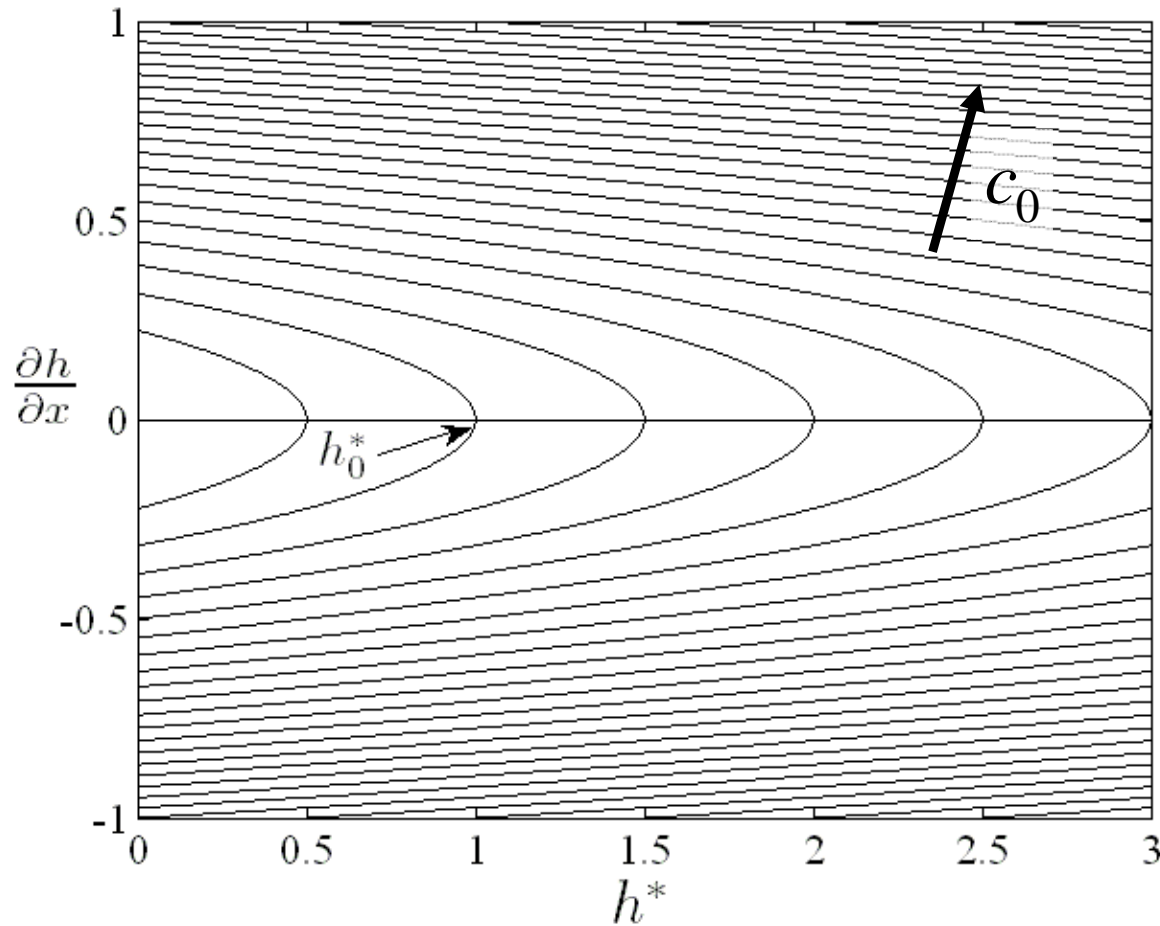
$$h'(h) \Big|_{\beta, A, c_0}$$



# Stability analysis

## Constant surface tension

No additional forces:  $\partial\sigma/\partial x = 0$  and  $A = 0$

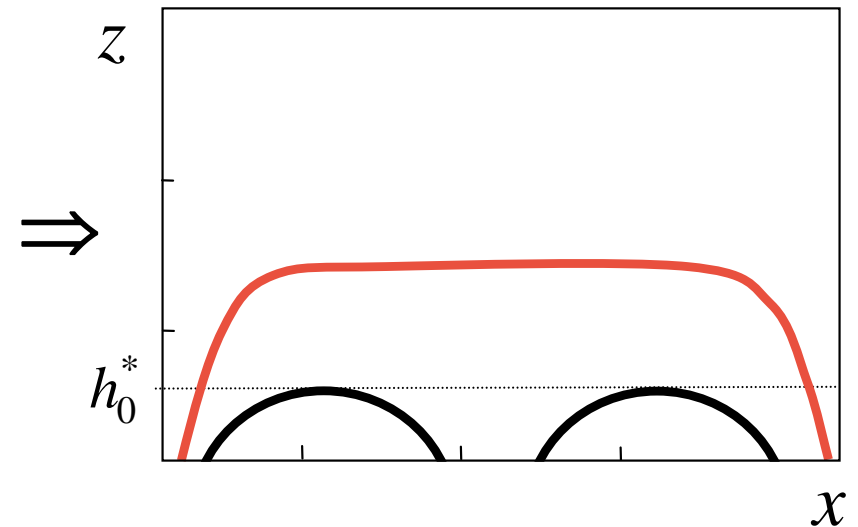
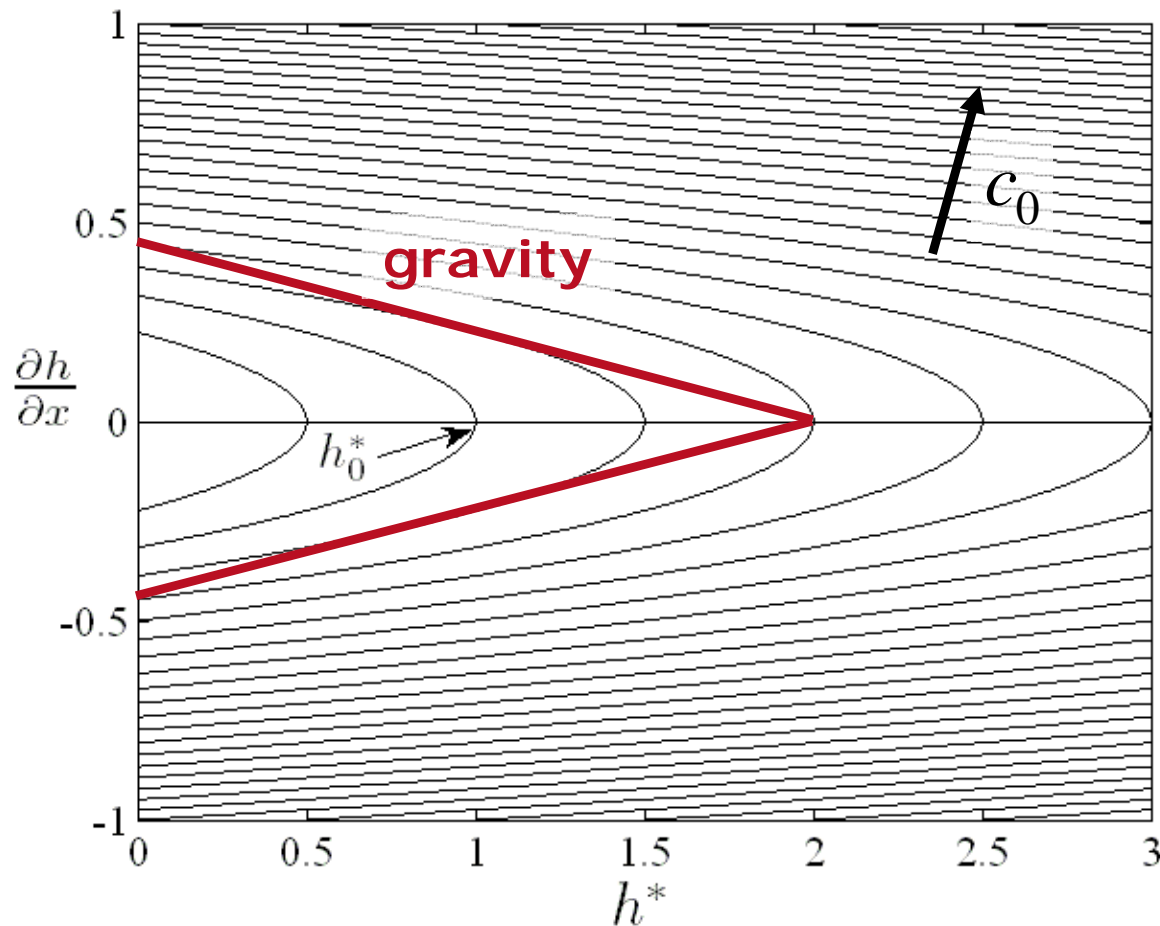


Why is a puddle stable?

# Stability analysis

## Why is a puddle stationary flat?

No additional forces:  $\partial\sigma/\partial x = 0$  and  $A = 0$

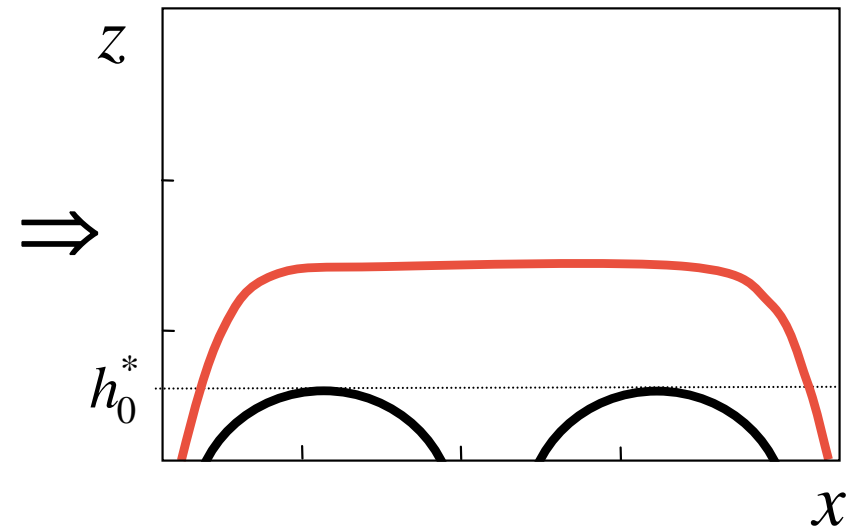
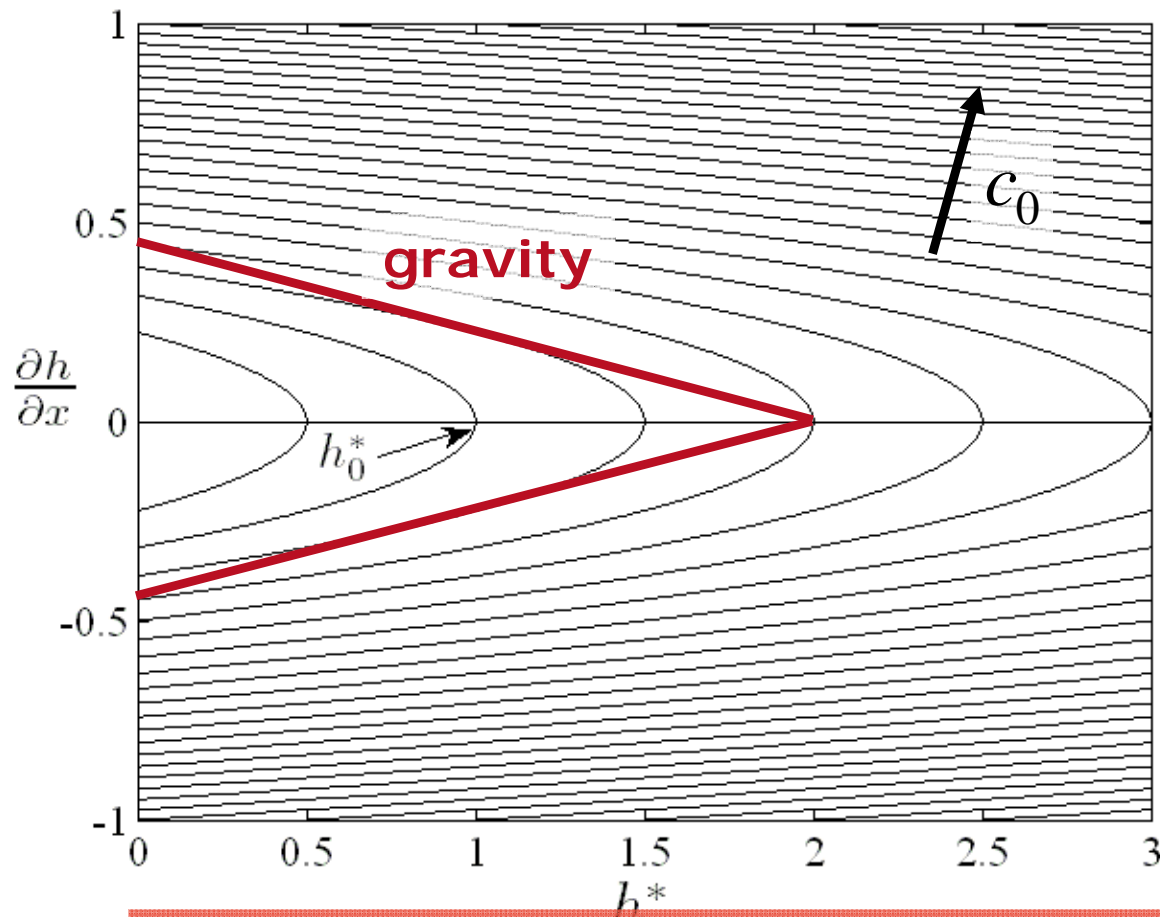


Why is a puddle flat?  
Because of gravity!

# Stability analysis

## Why is a puddle stationary flat?

No additional forces:  $\partial\sigma/\partial x = 0$  and  $A = 0$



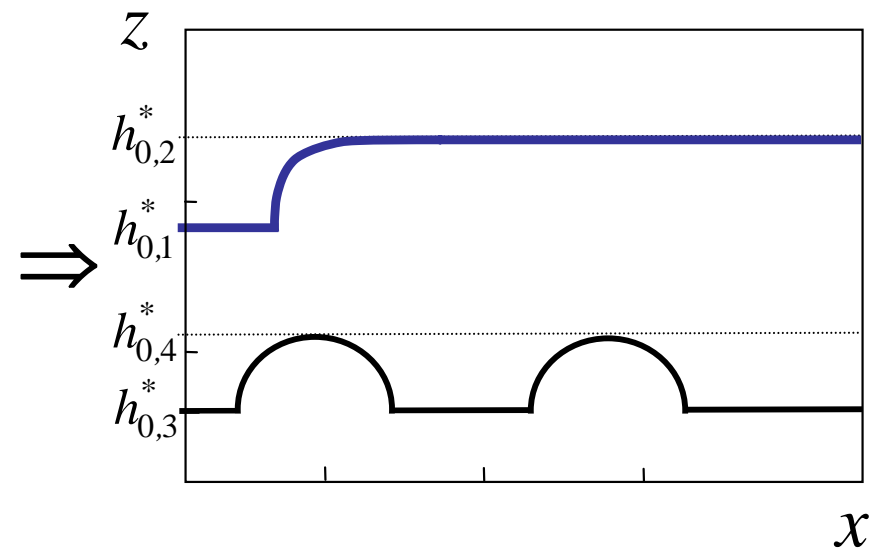
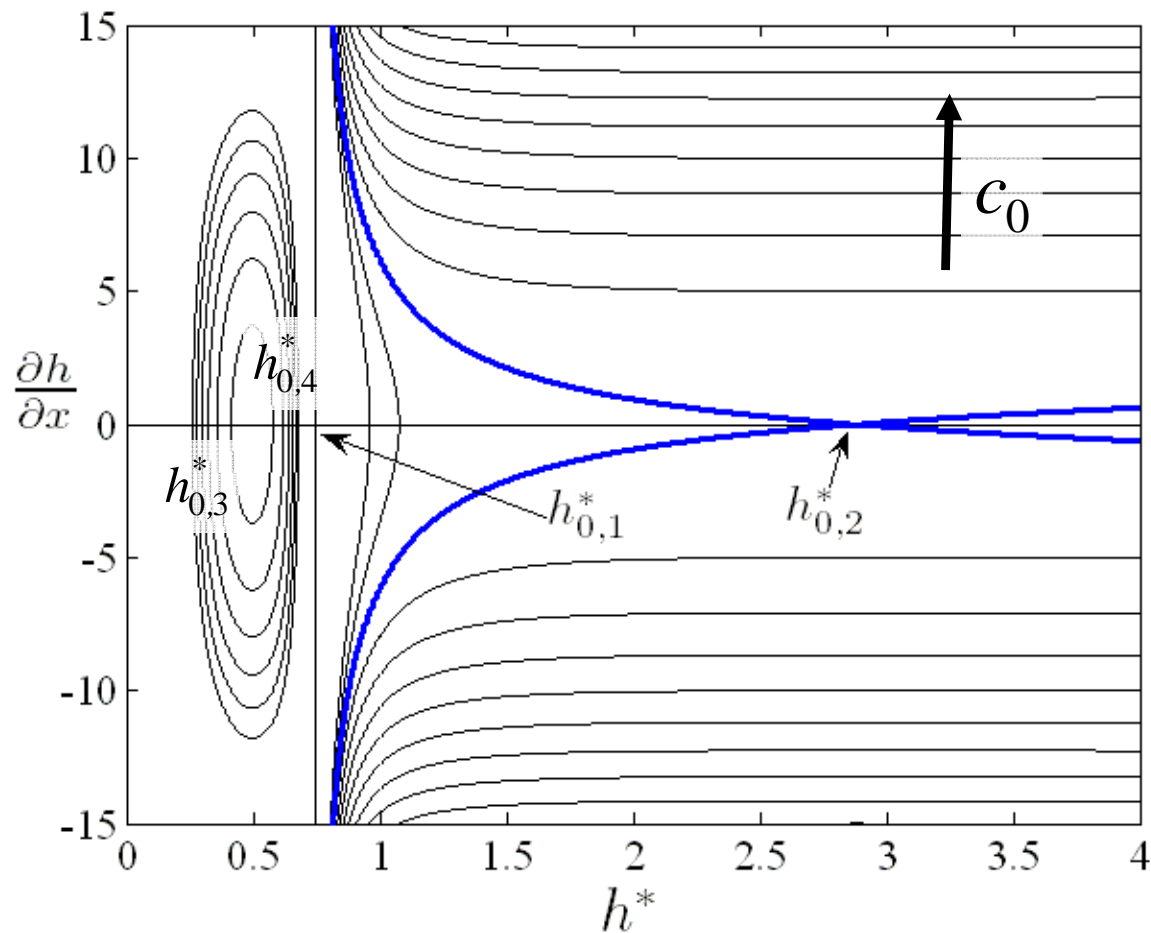
Why is a puddle stable?  
Because of gravity!

Additional forces required for stable homogenous flat films!

# Stability analysis

## Additional forces

Gradients in  $C$ ,  $\sigma$ :  $\beta = 2$  and Van der Waals forces:  $A = 2$



Stability for  $A \cdot \beta > 0$

# Thank You for Your Attention !



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